Towards Personalized Privacy-Preserving Truth Discovery Over Crowdsourced Data Streams

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Abstract—Truth discovery is an effective paradigm which could reveal the truth from crowdsourced data with conflicts, enabling data-driven decision-making systems to make quick and smart decisions. The increasing privacy concern promotes users to perturb or encrypt their private data before outsourcing, which poses significant challenges for truth discovery. Although several privacy-preserving truth discovery mechanisms have been proposed, none of them take personal privacy expectation into consideration. In this work, we propose a novel personalized privacy-preserving truth discovery (PPPTD) framework over crowdsourced data streams to achieve timely and accurate truth discovery while guaranteeing the protection of individual privacy. The key challenges of PPPTD lie in improving the accuracy of truth estimation from the perturbed streaming data with personalized protection level. To address these challenges, we first develop a personalized budget initialization mechanism to quantify each user’s privacy protection requirement, and allocate personalized privacy budgets to users according to their privacy requirements. Then we propose a deviation-aware weighted aggregation method to improve the accuracy of truth discovery from streaming data with varying degrees of perturbation. In order to achieve privacy-utility tradeoff, we further propose an influence-aware adaptive budget adjustment mechanism that adaptively re-allocates privacy budgets to users based on the evolution of their influence in the weighted aggregation. We prove that PPPTD can achieve \( \epsilon \)-differential privacy over the whole data generated by users and satisfy individual personalized privacy requirements. Extensive experiments on two real-world datasets demonstrate the effectiveness of PPPTD.

Index Terms—Crowdsourcing, truth discovery, privacy preserving, personalization, streaming data.

I. INTRODUCTION

The ubiquitous mobile devices and the widely used networking technologies have led to the flourishing development of crowdsourcing, which can perceive and identify the physical world through the sensing capability of the devices carried by users. The sensory data collected from users can be analyzed to benefit people’s daily life in many applications [1]–[4]. A notable issue of crowdsourcing is that the sensory data provided by users are usually noisy, unreliable or inaccurate [5]. Thus, it is challenging to eliminate conflicts among multi-source data and obtain the truthful information.

Truth discovery attempts to solve the problem with the ability of automatically capturing user quality and accurately inferring reliable information from conflicting data through weighted aggregation. The general principle of truth discovery is that a user is judged to be with high quality if he provides reliable information frequently, and the information is more likely to be true if supported by many users with high quality. Based on this principle, truth discovery can improve the aggregation accuracy [6] from conflicting data, enabling data-driven decision making systems to make smart decisions. Therefore, it has been used in many applications like air quality monitoring [7], social sensing [8], and network quality measurement [9]. Specifically, it is crucial to achieve timely truth discovery for the real-time decision-making systems since only the fresh and truthful data can be helpful. Many truth discovery algorithms [10]–[15] have been proposed to ensure the efficiency and accuracy of real-time truth discovery with streaming data. However, due to the threat of individual information disclosure, people become more concerned about their privacy and there is a strong preference that personal data should be protected (e.g., GDPR was launched to regulate the protection of personal data and privacy).

Without a doubt, users have their privacy concerns in truth discovery since the data submitted by users may contain some sensitive information [16]–[20], which brings forward new demands for the design of truth discovery mechanism.
with privacy protection guarantee. Some works have achieved truth discovery in the setting of privacy-aware crowdsourcing, which proposed to encrypt or perturb data of each user independently and then aggregate truthful information through these encrypted or perturbed data [21]–[27]. For example, Miao et al. [21] adopted a cloud-based privacy-preserving truth discovery scheme to protect users’ sensory data by using threshold Paillier cryptosystem, and performed weighted aggregation on users’ encrypted data to obtain truths. Sun et al. [26] proposed a privacy-preserving truth inference method under local differential privacy (LDP), where each user randomizes their answers independently before sending them to the task requester for truth aggregation. Nevertheless, to the best of our knowledge, none of existing works on truth discovery take the different requirements of privacy protection expected by users into account. The fact is that these “one size fits all” approaches are not that applicable to real-world scenarios. For instance, those perturbation-based methods add the same amount of noise to all users’ data, which may lead to the situation that some users are overprotected while others are insufficiently protected. Hence, it is necessary to design a new truth discovery mechanism that can satisfy different privacy expectations of users.

The goal of this paper is to achieve timely and accurate truth aggregation from crowdsourced data streams, and at the same time provide personalized privacy guarantees for individual users. To this end, we have to address two main challenges. The first challenge is: how to provide personalized privacy protection for each user? Since it is difficult to measure users’ privacy requirements with specific values, it is challenging to quantify users’ requirements to decide to what extent they should perturb their data. Another challenge is: how to accurately find the truth from the perturbed data with different personalized protection levels? Users’ weights and submitted data are two decisive factors of truth weighted aggregation. After perturbation, the user’s uploaded data changes, which then leads to the change of the user weight. In the case where both the user data and weights deviate from their original value, the truth estimated by weighted aggregation process are most likely to be inaccurate. Moreover, personalized perturbation allows each user to have different deviation levels. Thus, it is a big challenge to rectify the varying deviations on user data and weights caused by personalized perturbation to achieve accurate truth discovery for crowdsourced data streams.

To address the above challenges, we propose a personalized privacy-preserving truth discovery framework over data streams (PPPTD) to achieve timely and accurate truth discovery while guaranteeing the protection of individual differential privacy. In this framework, users perturb their sensory data with their own personalized privacy budgets according to their privacy protection requirements at each timestamp, and then the perturbed data are collected and our system will infer truthful information through weighted aggregation in time. Specifically, we first propose a personalized budget initialization mechanism to quantify each user’s privacy requirement and allocate a specific privacy budget that meets the protection requirement to the user. Then we propose a deviation-aware weighted aggregation mechanism to accurately infer truths from data with varying degrees of perturbation in time. Moreover, we present an influence-aware adaptive budget adjustment mechanism to reallocate privacy budgets to users based on the evolution of their influence in the weighted aggregation process, which allows users with high quality to exert positive influence in the truth computation process so that achieving a trade-off between user privacy and truth accuracy.

Our main contributions are summarized as follows:

- We propose a personalized privacy-preserving truth discovery (PPPTD) framework over data streams. To the best of our knowledge, this is the first work that takes the individual privacy protection requirements into account in the truth discovery process.
- We allocate personalized privacy budgets to users, and develop an influence-aware adaptive budget adjustment mechanism and a deviation-aware weighted aggregation mechanism to achieve accurate inference of truths from the perturbed data submitted by users.
- We prove that PPPTD can provide personalized privacy protection for different users. The extensive experiments on two real-world datasets demonstrate that PPPTD can achieve high accuracy while satisfying $\epsilon$-differential privacy.

The rest of this paper is organized as follows. Section II describes existing truth discovery methods, and Section III presents the system model and the problem formulation. Section IV briefly introduces the preliminary knowledge of truth discovery and differential privacy. Section V and Section VI present the proposed PPPTD and its privacy protection analysis, respectively. Section VII shows the performance evaluation and Section VIII concludes the paper.

II. RELATED WORK

Truth discovery has been greatly developed and applied in recent years. In this section, we discuss truth discovery methods for static scenarios, dynamic scenarios, and privacy-aware scenarios, respectively.

At the very beginning, the research of truth discovery focused on the field of traditional database. Yin et al. [28] first formally defined the truth discovery problem, and proposed an iterative method-based TruthFinder algorithm to find true facts from conflicting information provided by different websites. It determines the true facts by iteratively inferring the probabilities of facts being true and the trustworthiness of websites. In [29], an unsupervised Bayesian probabilistic model for truth finding on numerical data was designed, which can leverage the characteristics of numerical data in a principled manner, and infer the real-valued truth and source quality. Reference [30] gave an optimization-based answer aggregation method for multiple-choice question answering. It estimated participant weights and aggregated answers simultaneously, and used lightweight machine learning techniques to optimize the accuracy of the results. Numbers of works realized that there are various factors that can raise challenges to truth discovery, and tried to improve the accuracy of user quality estimation and truth discovery results under the circumstances. For instance, a new confidence-aware truth estimation scheme
was developed in [31], in which the fact that a source might have different degrees of confidence for his/her different observations was considered, and the truth estimation problem was taken as a maximum likelihood estimation problem. Aware that a source may vary in reliability on different topics or domains, [32] and [33] focused on estimating fine-grained source reliability and achieving a more precise truth discovery.

As it moves forward, researchers explored truth discovery in some more complex data scenarios such as data streams. An optimization framework was proposed in [34] to infer truths among conflicting sources of heterogeneous data types, and the proposed framework was further adapted for streaming data and large-scale data. In [10], a model named EvolvT based on hidden Markov model was proposed for dynamic truth discovery on numerical data, which captured source dependency besides truth transition regularity and source quality, and established an expectation-maximization (EM) algorithm to infer parameters. Yang et al. [11] proposed an iterative-based truth discovery method to dynamically compute source weights over data streams, where the previous source weights could be used to approximately compute the current truths if the truth inference error caused by not changing source weights at certain timestamps was under a threshold. A streaming fact-finder based on expectation maximization (EM) was designed in [12], which can update previous truth estimates with new arrived data. Zhao et al. [13] took the problem of truth discovery over data streams as a probabilistic inference problem, and proposed algorithms to real-time inferences the truth as well as source quality, which can read the data online only once. Considering quantitative crowdsourcing applications involving big or streaming data, Ouyang et al. [14] proposed parallel and streaming truth discovery algorithms to realize effective and scalable truth discovery through decomposing large-scale truth discovery problem and leveraging online expectation maximization (EM) algorithm. Li et al. [15] developed a novel truth discovery framework for data streams, which incorporated various iterative methods to effectively infer truths, and can adaptively decide the frequency of source weight computation to improve the efficiency.

With respect to privacy concerns of data sources in truth discovery process, Miao et al. [21] put forward a cloud-enabled privacy-preserving truth discovery (PPTD) framework for crowd sensing systems, which protected users’ sensory data and reliability scores with homomorphic encryption, and performed weighted aggregation on the encrypted data to accurately inferred truths. Based on [21], lightweight privacy-preserving truth discovery frameworks are studied [22] and [23], where additively homomorphic cryptosystem was adopted to guarantee both strong privacy and reduce the overhead of users. Zhang et al. [35] leveraged homomorphic Paillier encryption to achieve lightweight privacy-preserving truth discovery and applied it in real-life CIoT applications. Liu et al. [36] considered the dropout of workers in mobile crowdsensing system and proposed a real-time privacy-preserving truth discovery framework for crowdsensed data streams based on secure summation aggregation, which can be robust and achieve highly efficient computation and enough accurate truthful information. A balanced truth discovery (BTD) framework was proposed in [37], which satisfied three requirements in IoT: user privacy, data integrity, and limited computational cost by blurring user data and reducing user participation in the truth discovery process. Sun et al. [26] presented privacy-preserving truth inference method with local differential privacy guarantee, where the truths were inferred from the perturbed answers uploaded by workers. In view of the challenge brought by answer sparsity, a new matrix factorization algorithm is designed to achieve the balance between privacy and utility. These methods treated all users equally and provided them with the same level of privacy guarantee. Li et al. [27] proposed a local differential privacy-based efficient privacy-preserving truth discovery method, which allowed users to add personalized noise to their answers, but the amount of noise was determined by the sampling mechanism. In a word, none of existing methods can provide privacy guarantee according to the personalized privacy requirements of users. This paper aim to achieve personalized privacy-preserving truth discovery by quantifying each user’s privacy requirement and adding personalized noise to the sensory data accordingly.

III. Problem Definition

In this section, we first describe the system model and the threat model, and then formally present the problem to be solved in this paper.

A. System Model

The structure of PPPTD is shown in Figure 1, which contains three main entities: data requesters, the server, and users. Data requesters are the customers who send data requests to the server and publish tasks on it. The server is a cloud platform of mobile crowdsourcing (e.g., AMT) that can assign tasks to users, allocate personalized privacy budgets to users according to their privacy protection requirements, and collect users’ perturbed sensory data to conduct weighted aggregation to infer the truthful information needed by data requesters. Users are those who carry their mobile devices, and have the ability to perform various sensing tasks assigned by the server and submit the sensory data to the server. It is worth noting that users perturb their sensory data with differential privacy.
before submitting, and the perturbation levels are controlled by their allocated privacy budgets.

B. Threat Model

We assume that the server and users are curious-but-honest. The server will follow the PPPTD protocol faithfully, but may be curious regarding user individual sensitive information, which means that it may infer some private information of users from the sensory data they submit. Meanwhile, the users will follow the protocol and will not collude with each other, but are likely to deduce the sensory data of others. In this case, users’ sensory data should be protected and prevented from being disclosed to any other entity.

C. Problem Formulation

Suppose that data requesters publish \( N \) sensing tasks on the server, and there are \( M \) users who are interested in these \( N \) tasks. At each timestamp \( t \in \{1, 2, \ldots, T\} \), these users perform the tasks and provide sensory data for them. Let \( x_{ij}^{t} \) denote the sensory data from the \( i \)-th user for the \( j \)-th task at timestamp \( t \), then the observation of the \( i \)-th user at timestamp \( t \) is \( X_{i}^{t} = \{x_{ij}^{t}\}_{j=1}^{M} \), and the observation of all users at timestamp \( t \) is \( X^{t} = \{X_{i}^{t}\}_{i=1}^{N} = \{x_{ij}^{t}\}_{i=1,j=1}^{M,N} \). The goal of truth discovery is to infer truthful values of all tasks on all timestamps through the weighted aggregation, denoted by \( Z = \{Z^{1}, Z^{2}, \ldots, Z^{T}\} \), where \( Z^{t} = \{Z_{j}^{t}\}_{j=1}^{N} \) and \( Z_{j}^{t} \) is the truth of task \( j \) at timestamp \( t \).

In this paper, in order to guarantee personalized privacy protection, each user perturbs his original sensory data according to his privacy protection requirement and only submits the perturbed data to the server. Let \( \hat{X}_{i}^{t} = \{\hat{x}_{ij}^{t}\}_{j=1}^{M} \) denote the submitted perturbed data of the \( i \)-th user at timestamp \( t \), and \( \hat{X}^{t} = \{\hat{X}_{i}^{t}\}_{i=1}^{M} = \{\hat{x}_{ij}^{t}\}_{i=1,j=1}^{M,N} \) is the perturbed data with personalized protection level collected from all users by the server at timestamp \( t \). Thus, the problem we address in the paper is to infer truthful information \( Z = \{Z^{1}, Z^{2}, \ldots, Z^{T}\} \) from \( \hat{X} = \{\hat{X}^{1}, \ldots, \hat{X}^{T}\} \). To ensure the accuracy of the inferred truths, \( Z \) should be close to \( \hat{Z} \) as much as possible.

IV. PRELIMINARIES

A. Truth Discovery

Truth discovery emerges to solve the conflicts among sensory data collected from users, which can automatically estimate source quality from the data in the form of source weights and identify the reliable information (i.e., the truths) among conflicting sources of data. All existing truth discovery mechanisms follow two general principles: a user will be judged to be with high quality if he provides reliable information frequently, and the information will be more likely to be the truth if it is broadly supported by users with high quality. Besides, existing truth discovery mechanisms mainly use a weighted aggregation method, which can be summarized as a two-step iterative procedure: Truth Computation and Weight Estimation. A common process is: truth discovery begins with the initialization of user weights, and then iteratively conducts the truth computation step and weight estimation step until convergence.

1) Truth Computation: In this step, the user weights are assumed to be known. The truth for the \( j \)-th task at timestamp \( t \) is calculated based on the following weighted aggregation:

\[
Z_{j}^{t} = \frac{\sum_{i=1}^{M} (w_{i}^{t} \cdot x_{ij}^{t})}{\sum_{i=1}^{M} w_{i}^{t}} \tag{1}
\]

2) Weight Estimation: In this step, the aggregated truths are fixed. The weight of the \( i \)-th user at timestamp \( t \) is estimated based on the quality of data he provides currently. The closer the data provided by the user is to the aggregated truth, the higher the weight will be assigned to this user. That is:

\[
w_{i}^{t} = f(\sum_{j=1}^{N} d(x_{ij}^{t}, Z_{j}^{t})) \tag{2}
\]

where \( d(\cdot) \) is a distance function that measures the difference between user-provided data and the aggregated truths, and \( f \) is a monotonically decreasing function.

In this paper, we adopt the weight estimation of CRH [38] as an instantiation of Eq. (2):

\[
w_{i}^{t} = -\log\left(\frac{l_{i}^{t}}{\sum_{i=1}^{M} l_{i}^{t}}\right) \tag{3}
\]

where \( l_{i}^{t} \) refers to the normalized squared loss function of the \( i \)-th user at timestamp \( t \) [38], i.e.,

\[
l_{i}^{t} = \sum_{j=1}^{N} \frac{(x_{ij}^{t} - Z_{j}^{t})^{2}}{\text{std}(x_{i1}, x_{i2}, \ldots, x_{iM})} \tag{4}
\]

3) Truth Discovery Over Data Streams: Typical truth discovery methods usually conduct iterative procedures of user weight estimation and truth computation on static data. As it moves forward, some truth discovery mechanisms on data streams have been proposed [12]–[15]. In this paper, we consider the real-time crowdsourcing scenarios, so a truth discovery mechanism for crowdsourced data streams is needed. As shown in Algorithm 1, a typical truth discovery mechanism over crowdsourced data streams assumes that the qualities of most users do not change much between two adjacent timestamps, so the user weight at the previous timestamp can be used as the initialized user weight at the current moment. At each timestamp, it begins with the initialization of user weights, and then iteratively conducts the truth computation step and weight estimation step until convergence.

B. \( \epsilon \)-Differential Privacy

Differential privacy tries to prevent individual record in a dataset from being identified.

Definition 1 (\( \epsilon \)-Differential Privacy [39]): A privacy mechanism \( \mathcal{M} \) gives \( \epsilon \)-differential privacy, where \( \epsilon > 0 \), if for any datasets \( D \) and \( D' \) differing on at most one record, and for all sets \( S \subseteq \text{Range}(\mathcal{M}) \),

\[
\Pr[\mathcal{M}(D) \in S] \leq e^{\epsilon} \cdot \Pr[\mathcal{M}(D') \in S] \tag{5}
\]
Algorithm 1 Truth Discovery Over Crowdsourced Data Streams

| Input: Crowdsourced data streams from all users: \{X^1, X^2, \ldots, X^T\} |
| Output: The truths of all tasks at each timestamp: \{Z^1, Z^2, \ldots, Z^T\} |

1. Initialize users’ weights as \(W^0 = \{w^0_i\}_{i=1}^M\), for each \(i \in \{1, 2, \ldots, M\}\), \(w^0_i = 1\).
2. For each timestamp \(t, t \in \{1, 2, \ldots, T\}\) do
   3. While the convergence criterion is not satisfied do
      4. Initialize user weights with \(W^{t-1}\);
      5. For each task \(j, j \in \{1, 2, \ldots, N\}\) do
         6. Update the truth \(Z^j_t\) according to Eq.(1) based on the current estimation of user weights to get \(Z^t\);
      7. For each user \(i, i \in \{1, 2, \ldots, M\}\) do
         8. Update the user weight \(w^t_i\) according to Eq.(2) based on the current aggregated truths;
   9. Return \(\{Z^1, Z^2, \ldots, Z^T\}\);

where the privacy budget \(\epsilon\) represents the degree of privacy offered by the mechanism, and controls how much noise that should be added to the dataset. In general, a larger perturbation noise is required for a smaller \(\epsilon\), which leads to stronger privacy guarantee but worse utility of the dataset.

Definition 2 (Sensitivity): [40] For any function \(f : \mathcal{D} \rightarrow \mathcal{R}^d\), the sensitivity of \(f\) w.r.t. \(\mathcal{D}\) is

\[
\Delta(f) = \max_{D, D' \in \mathcal{D}} \| f(D) - f(D') \|
\]

for all \(D, D'\) differing on at most one record.

The Laplace mechanism is the most commonly used mechanism to satisfy \(\epsilon\)-differential privacy.

Theorem 1 (Laplace Mechanism [40]): For any function \(f : \mathcal{D} \rightarrow \mathcal{R}^d\), a mechanism \(\mathcal{M}\) that adds noise generated independently from a zero-mean Laplace distribution with scale \(\Delta(f)/\epsilon\) to each of the output values of \(f(D)\) satisfies \(\epsilon\)-differential privacy, if

\[
\mathcal{M}(D) = f(D) + (Lap(\Delta(f)/\epsilon))^d
\]

Now we state two composition properties of differential privacy.

Theorem 2 (Sequential Composition [41]): Let \(\mathcal{M}_1, \mathcal{M}_2, \ldots, \mathcal{M}_r\) be a set of mechanisms where \(\mathcal{M}_i, i \in \{1, 2, \ldots, r\}\) provides \(\epsilon_i\)-differential privacy. Let \(\mathcal{M}\) be another mechanism that executes \(\mathcal{M}_1, \mathcal{M}_2, \ldots, \mathcal{M}_r\) in sequence and uses independent randomness for each \(\mathcal{M}_i\). Then \(\mathcal{M}\) satisfies \(\sum_i \epsilon_i\)-differential privacy.

Theorem 3 (Parallel Composition [41]): Let \(Q_1, Q_2, \ldots, Q_\pi\) be the disjoint subsets of dataset \(Q\) satisfying \(Q = \bigcup_{i=1}^{\pi} Q_i\) and \(Q_i \cap Q_j = \emptyset\) (\(\forall i \neq j\)). Let \(\mathcal{M}_1, \mathcal{M}_2, \ldots, \mathcal{M}_\pi\) be a set of mechanisms where \(\mathcal{M}_i(Q_i) = f(Q_i) + Lap(\Delta(f)/\epsilon)\) provides \(\epsilon_i\)-differential privacy. Let \(\mathcal{M}(Q) = \bigcup_{i=1}^{\pi} \mathcal{M}_i(Q_i)\) using independent randomness for each \(\mathcal{M}_i\) and \(f(Q) = \bigcup_{i=1}^{\pi} f(Q_i)\). Then, \(\mathcal{M}(Q)\) satisfies \(\max\{\epsilon_1, \ldots, \epsilon_\pi\}\)-differential privacy.

V. PERSONALIZED PRIVACY-PRESERVING TRUTH DISCOVERY MECHANISM

We propose a personalized privacy-preserving truth discovery mechanism over crowdsourced data, called PPPTD, to real-time and accurately infer truthful values while providing personalized privacy protection for each user with differential privacy. In this section, we first give a high-level overview of PPPTD, and then introduce the proposed mechanisms in detail.

A. Overview of PPPTD

Figure 2 shows the framework of PPPTD, consisting of the process of perturbation at each user, and the process of personalized budget initialization, influence-aware adaptive budget adjustment and deviation-aware weighted aggregation at the server. The personalized budget initialization mechanism can quantify each user’s privacy protection requirement, and allocate a specific privacy budget that meets the requirement of each user. The influence-aware adaptive budget adjustment mechanism can reallocate privacy budget for users based on the evolution of user influence in truth computation. The basic idea of this mechanism is that when the user’s influence in the truth computation increases to a certain extent, it is more reasonable to add less perturbation noise to user’s sensory data on the premise of satisfying his privacy protection requirement.
Algorithm 2 PPPTD Algorithm

**Input:** Crowdsourced data streams from all users:
\[ X = \{ X^t \}_{t=1}^T = \{ X^t_i \}_{i=1}^M \]

**Output:** The truths of all tasks at each timestamp:
\[ Z = \{ Z^1, Z^2, \ldots, Z^T \} \]

1. The server performs the **personalized budget initialization mechanism** to allocate proper initial privacy budget to each user according to his privacy protection requirement, and get \( \epsilon^0 = \{ \epsilon^0_i \}_{i=1}^M \);

2. for each timestamp \( t, t \in \{1, 2, \ldots, T\} \) do
   3. The server performs the **influence-aware adaptive budget adjustment mechanism** to reallocate privacy budgets for users whose influence in truth weighted aggregation increase to a certain extent, and get \( \epsilon^t = \{ \epsilon^t_i \}_{i=1}^M \);
   4. for each user \( i, i \in \{1, 2, \ldots, M\} \) do
      5. The user conducts the **personalized perturbation mechanism** to perturb his sensory with the privacy budget assigned to him and submits the perturbed data to the server, \( \hat{X}^t_i = M_t^i(X^t_i) = f(X^t_i) + \text{Lap}(\Delta(f)/\epsilon^t_i) \);
      6. The server collects \( \hat{X}^t = \{ \hat{X}^t_i \}_{i=1}^M \), and conducts the **deviation-aware weighted aggregation mechanism** on \( \hat{X}^t \) until the convergence criterion is satisfied to get \( Z^t \);
   7. Return \( Z = \{ Z^1, Z^2, \ldots, Z^T \} \);

Only in this way, can the users with high quality greatly exert their positive influence in the truth computation process. The deviation-aware weighted aggregation mechanism can accurately infer truths from the perturbed crowdsourced data with personalized protection levels, in which the impacts of personalized perturbation on weighted aggregation can be eliminated as far as possible. The general process of PPPTD is shown in Algorithm 2. The defined parameters and variables are summarized in Table I.

### B. Personalized Budget Initialization

We aim to provide personalized privacy protection for each user with differential privacy according to their privacy requirements, which means that users should perturb their data at different levels. In differential privacy, a smaller privacy budget means a greater perturbation degree, and will provide stronger privacy guarantee. In turn, when a user has a high privacy protection requirement, a small privacy budget should be allocated to him. Since it is unrealistic for a user to set a specific privacy expectation value in reality, it is difficult to directly map the privacy expectation to a certain privacy budget value. We set up user-friendly instructions for users to enable them to clearly indicate their privacy protection requirements, that is, high, medium and low privacy requirement. After the privacy protection requirements of users are clarified, we can quantify them through privacy budgets.

From the practical point of view, we limit the value of user privacy budget to an interval \([\epsilon_0, \epsilon_1]\). Since users’ privacy requirements are expressed in three levels (high, medium, and low), it is reasonable to divide the privacy budget into sub-intervals corresponding to these privacy requirement levels. We allocate \( \epsilon_1 \) to those with low privacy protection requirements, \( [\epsilon_0, \epsilon_1) \) and \( [\epsilon_m, \epsilon_1) \). Then the server samples privacy budgets for users with high and medium privacy requirements from the first and the second sub-interval, respectively.

The studies in [42], [43] showed that a large majority of users (more than 70% in [42] and 89.3% in [43]) are...
concerned about privacy leakage arising from the use of their data, and [43] further pointed out that users with high privacy concern are more than those with medium privacy concern, which means a user is more likely to have high privacy protection requirement. In view of the fact that a smaller privacy budget corresponds to a higher privacy guarantee, we assume the privacy budget of the user obeys exponential distribution on the interval $[\epsilon_0, \epsilon_1]$. Thus, the user privacy budget should be sampled from the exponential distribution at the interval that corresponds to his privacy protection requirement.

As we mentioned earlier, the total privacy budget interval can be divided into two sub-intervals $[\epsilon_0, \epsilon_m]$ and $[\epsilon_m, \epsilon_1]$. It is important to find a suitable $\epsilon_m$ and an intuitive way is allocating two sub-intervals according to the proportion of users in different privacy budget requirement levels. Suppose that the proportion of users with high and medium privacy protection requirements is $\alpha$ and $\beta$ respectively, then the fraction of users with low privacy protection requirements is $1 - \alpha - \beta$. On an exponential distribution $f(y, \lambda) = \lambda e^{-\lambda y} (y \geq 0)$, we divide the domain of $y$ according to the proportion $\alpha, \beta$ and then find the mapping relationship between $y$ and $\epsilon$. Suppose we have divided the domain of $y$ into four intervals: $[0, y_0], [y_0, y_m), [y_m, y_1), [y_1, +\infty)$. If we sample a value for the random variable $y$ on the exponential distribution, the probability that it falls on the interval $[y_0, y_m), [y_m, y_1)$, and $[y_1, +\infty)$ should be $\alpha$, $\beta$, and $1 - \alpha - \beta - F(y_0)$, respectively, where $F$ is the cumulative distribution function, and $F(y, \lambda) = 1 - e^{-\lambda y} (y \geq 0)$. Then we should map $y_0$ to $\epsilon_0$, map $y_m$ to $\epsilon_m$, and map $y_1$ to $\epsilon_1$. We get the value of $y_m$ and $y_1$ by:

$$y_m = C_{1-\alpha - F(y_0)}, \quad y_1 = C_{1-\alpha - \beta - F(y_0)}$$

where $C_{1-\alpha - F(y_0)}$ is a $\{1 - \alpha - F(y_0)\}$-quintile that satisfies $P(y > C_{1-\alpha - F(y_0)}) = 1 - \alpha - F(y_0)$, and $C_{1-\alpha - \beta - F(y_0)}$ is a $\{1 - \alpha - \beta - F(y_0)\}$-quintile that satisfies $P(y > C_{1-\alpha - \beta - F(y_0)}) = 1 - \alpha - \beta - F(y_0)$. Given that $y_0$ is bound to map to $\epsilon_0$, and is generally a very small value that approximately equals to 0, it can be assumed that $F(y_0) = 0$. Therefore, we let

$$y_m = C_{1-\alpha}, \quad y_1 = C_{1-\alpha - \beta}$$

After getting the value of $y_m, y_1$, with the mapping relationship between $y$ and $\epsilon$, we have $y_m / \epsilon_m = y_1 / \epsilon_1$. Given a fixed $\epsilon_1$, we can obtain the value of $\epsilon_m$. Then the total privacy budget interval can be divided into two parts: $[\epsilon_0, \epsilon_m), [\epsilon_m, \epsilon_1]$.

Next the server samples a personalized initial privacy budget for each user from the corresponding privacy budget interval. In this way, we can successfully quantify users’ privacy requirements through specific privacy budgets, thereby map the privacy protection requirements of users to specific perturbation levels.

C. Influence-Aware Adaptive Budget Adjustment

In the scenario of truth discovery over crowdsourced data streams, the quality of a user is not fixed even for the same task, and the user’s influence on the final aggregated truth may also change over time. We believe that when the user’s influence in truth computation increases to a certain extent, it is reasonable to add less perturbation noise to user’s sensory data on the premise of satisfying his privacy protection requirement. For a user with great influence on the computation of truth values, less perturbation on his data leads to less deviation, and enables the user to better exert their positive influence in the truth computation. Therefore, when a user’s influence in the truth computation increases over time, it is a logical choice to re-allocate a larger privacy budget to this user while still satisfying his privacy protection requirement. If we do so, users with high influence in the truth computation process would better assist to achieve accurate truth discovery.

We define user $i$’s influence in weighted aggregation at timestamp $t$ as:

$$\zeta_i^t = w_i^t / \sum_{i' = 1}^{M} w_{i'}^t$$

Then $\zeta_i^t$ may be different for different timestamp $t$. We aim to capture the evolution of user influence in the truth aggregation, and adaptively adjust the privacy budget allocated to the user according to it. But the challenge is: when should we reallocate privacy budget to users? It is unrealistic to update the budget each time when the user influence changes, because it will lead to huge amount of computation, and go against the timely truth discovery. In addition, sometimes the change in user influence may be very small and may not make much difference to the final truth discovery result, so there is no need to update the budget each time when the user influence changes.

Using the similar methodology in [15], we first capture the evolution of user influence, and then measure the changes of truth values caused by the change of the user influence (error) to decide when to reallocate privacy budget for users. If the error is within acceptable limits, namely the changes of users’ influence over a period of time has little effect on the truth aggregation result, we can ignore them and do not need to reallocate privacy budgets to users; if the changes of users’ influence over a period of time lead to great change in the true aggregation result which exceeds the acceptable limits, then we need to reallocate privacy budgets to these users.

Since user $i$’s influence in the weighted aggregation at timestamp $t$ is $\zeta_i^t = w_i^t / \sum_{i' = 1}^{M} w_{i'}^t$, let $\Delta w_i^t$ denotes user $i$’s influence evolution at timestamp $t$, which can be computed by:

$$\Delta w_i^t = \zeta_i^t - \zeta_i^{t-1} = w_i^t - \sum_{i' = 1}^{M} w_{i'}^{t-1} / \sum_{i' = 1}^{M} w_{i'}^{t-1}$$

Let $\Phi = \Phi_{t-1}^{i}$ $(t \in 1, 2, \ldots, T)$ denote the unit error of truth aggregation result that caused by the changes of users’ influence, which is given by:

$$\Phi = \left( \sum_{i=1}^{M} |\Delta w_i^t| \cdot \frac{x_i^t}{x_{\text{max}, i}} \right)^2$$
where $x_{\text{max},j}^t$ is the absolute maximum value of $j$-th task’s observations at timestamp $t$. Then we have

$$\sqrt{\Phi} = \frac{\sum_{i=1}^{M} |\Delta w_i^t| \cdot x_{\text{max},j}^t}{x_{\text{max},j}^t} = \sum_{i=1}^{M} |\Delta w_i^t|$$

Since $x_{ij}^t \leq x_{\text{max},j}^t$, we have

$$\sqrt{\Phi} \leq \sum_{i=1}^{M} |\Delta w_i^t| \tag{11}$$

Given a unit error threshold $\pi$, with the Eq. (11), if for each user, the user influence evolution holds $|\Delta w_i^t| \leq \sqrt{\pi}/M$, then the unit error $\Phi \leq \pi$ is satisfied. That is, the unit error $\Phi$ should be no more than $\pi$ if Eq. (12) is satisfied.

$$|\Delta w_i^t| \leq \sqrt{\pi}/M \quad (1 \leq i \leq M) \tag{12}$$

Let $\Psi_u^v$ denotes the cumulative error of truth aggregation result that caused by the changes of users’ influence over a period of time, which is defined as the sum of unit errors in a time period, and it is computed by:

$$\Psi_u^v = \sum_{h=u+1}^{v} \Phi_h^u \tag{13}$$

The maximum value of the cumulative error in a time period under the condition that Eq. (12) holds is:

$$\Psi_u^v \leq \Delta T(\Delta T + 1)(2\Delta T + 1)\pi/6 \tag{14}$$

where $\Delta T = v - u$, and the Eq. (14) has been proved in [15].

Assume that timestamp $u$ is the timestamp where user privacy budgets are adjusted, at the beginning it is the timestamp that users are assigned their personalize initial privacy budgets. The challenge of when to reallocate privacy budgets to users can be tracked by solving the following optimization problem:

$$\begin{array}{ll}
\text{max} & v = u + \Delta T \\
\text{s.t.} & \Delta T(\Delta T + 1)(2\Delta T + 1)\pi/6 \leq \rho \\
& |\Delta w_h^v| \leq \sqrt{\pi}/M \quad (u \leq h \leq v, 1 \leq i \leq M) \tag{15}
\end{array}$$

where $\Delta T$ is the maximum period of time where users influence evolutions are always less than $\sqrt{\pi}/M$, and the changes of true computation results (the cumulative error) caused by the total changes of users’ influence are controlled within a certain range. In other words, during this time period, user influence changes to the maximum acceptable extent. Then it’s time to reallocate user privacy budgets. Since $\Delta T$ is dispersed variable and has a finite number of possible values, the optimization problem Eq. (15) can be solved with the enumeration method.

The user whose total influence evolution $\sum_{h=u}^{v} \Delta w_h^v$ is positive, and influence evolution $\Delta w_h^v$ (\forall h \in [u, v] (\Delta w_h^v \geq 0(u \leq h \leq v))) is more than 50% likely to be non-negative is the one that has increasing influence in the truth computation. For these users, we should reallocate privacy budgets at timestamp $v$. The method is: In the privacy budget interval corresponding to the user’s privacy protection requirement, a new privacy budget for the user is obtained by resampling from the interval. Take the $i$-th user as an example, suppose the adjusted budget allocated to him at timestamp $v$ is $\epsilon_i^v$, then it should satisfy the following constraint:

$$\epsilon_i^v - \epsilon_i^u \leq \gamma \tag{16}$$

where $\epsilon_i^u$ is user $i$’s last reallocated budget at timestamp $u$, and $\gamma$ is the budget adjustment threshold that limits the range of budget adjustments. With $\gamma$, we can prevent the privacy budget from exceeding the upper bound of the interval after several adjustments. In this paper, we adopt an empirical value for the value of $\gamma$.

In summary, we can determine when to update users’ budgets through Eq. (15), and how much to update through Eq. (16).

### D. Personalized Perturbation

At each timestamp $t$, each user $i$ perturbs his own sensory data $X_i^t$ with the privacy budget he is allocated to get the perturbed data $\hat{X}_i^t$, calculated by:

$$\hat{X}_i^t = \mathcal{M}_i(X_i^t) = f(X_i^t) + \text{Lap}(\Delta f/\epsilon_i^t)$$

Since each user has their own personalized privacy budget that corresponds to their privacy protection requirement, users are protected in different levels and the degrees of perturbation on their data are also different. The deviation between each user’s original data and submitted data is caused by perturbation, and different degrees of perturbation lead to different levels of deviation. That is, personalized deviation exists in the users’ submitted data, which can be formulated as: for $\forall p, q \in \{1, 2, \ldots, M\}$, and $\forall t \in \{1, 2, \ldots, T\}$, if $\epsilon_p^t \neq \epsilon_q^t$, then $|X_p^t - X_q^t| \neq |\hat{X}_p^t - \hat{X}_q^t|$. Then users just submit the perturbed data to the server to form $\hat{X}^t = \{\hat{X}_1^t, \hat{X}_2^t, \ldots, \hat{X}_M^t\}$, which is the total perturbed data with personalized privacy protection level at timestamp $t$.

### E. Deviation-Aware Weighted Aggregation

We design a deviation-aware weighted aggregation mechanism to accurately infer truths from the perturbed crowd-sourced data with personalized protection levels. At each timestamp $t$, the server collects all users’ submitted data as $\hat{X}_i^t$, and performs the deviation-aware weighted aggregation on it to get the truths $Z^t = \{Z_1^t, Z_2^t, \ldots, Z_N^t\}$.

In weighted aggregation method, user weights and user submitted data are two decisive factors of truth, among which user weights correspond to the quality of users. The user’s personalized perturbation on his or her data is the key to achieve the personalized privacy protection. However, personalized perturbations bring different deviations to user qualities and their submitted data, leading to greater bias to the aggregated truth values. Only by eliminating these personalized deviations and correcting user weights and user submitted data as much as possible can accurate truth discovery be achieved. Since a large amount of noise leads to the situation that the perturbed data submitted by users diverges greatly from the reality, and causes a huge deviation in user weights. In that case the credibility of users in the weighted aggregation has reduced. Thus, the principle to be followed in the deviation-aware weighted aggregation mechanism is setting a reasonable range of $\epsilon^t$.
weighted aggregation is that the more noise a user adds to his data, the more his influence in the aggregation process should be reduced. That is, the influence of a user in the aggregation process should be proportional to his privacy budget to some extent.

Let \( W_t^i = \frac{i^t}{\sum_{j=1}^{M} i^t_j} \), where \( i^t_j = \sum_{j=1}^{N} 2^{{\frac{(x_j^i - Z_j^t)^2}{\sigma^2}}} \).

Based on Eq. (3), the standard way to estimate the user weight through perturbed data should be:

\[
w_t^i = -\log W_t^i = -\log \frac{i^t_i}{\sum_{j=1}^{M} i^t_j} (17)
\]

With the principle mentioned above, we expect a new deviation-aware weight estimation method which can reduce the influence of users who add large amount of noise to their data in the process of weighted aggregation. For that, we use a monotonic decreasing function \( g(\epsilon^t_i) = \log_a (c - \sum_{i'=1}^{\epsilon^t_i} \epsilon^t_{i'}) \) to revise Eq. (17), and propose that the user weight can be estimated according to:

\[
w_t^i = -\log(W_t^i \cdot g(\epsilon^t_i)) = -\log \left( \frac{i^t_i}{\sum_{j=1}^{M} i^t_j} \cdot \log_a (c - \sum_{i'=1}^{\epsilon^t_i} \epsilon^t_{i'}) \right) (18)
\]

where \( a \) and \( c \) are constants, and \( a > 1, c \in \left( \sum_{i'=1}^{\epsilon^t_i} \epsilon^t_{i'}, \frac{1}{\sum_{i'=1}^{\epsilon^t_i} \epsilon^t_{i'}} + a^2 \right) \) for any \( i \in \{1, 2, \ldots, M\} \) and \( t \in \{1, 2, \ldots, T\} \). With these restrictive conditions, we have \( 1 < g(\epsilon^t_i) < 2 \).

Empirically we have \( 0 < W_t^i \leq 0.5 \), which is demonstrated in Figure 3. Then we can get \( 0 < W_t^i \cdot g(\epsilon^t_i) < 1 \), so Eq. (18) is rational.

Suppose that there are two users \( p \) and \( q \), whose weights estimated at timestamp \( t \) are the same, but user \( p \) adds more perturbation noise to his data than user \( q \). That is, \( W_t^p = W_t^q \), and \( \epsilon^t_p < \epsilon^t_q \). With this, we have \( g(\epsilon^t_p) > g(\epsilon^t_q) \). If we estimate their weights through Eq. (18), we can obtain \( w_t^p < w_t^q \). Thus, we can say that Eq. (18) is valid, because with which the influence of the user who adds larger amount of noise to his data is reduced more. In conclusion, the adjusted weight estimation function of Eq. (18) is reasonable and consistent with the principle.

Hence, the truth can be calculated by:

\[
Z_{t}^j = \frac{\sum_{i=1}^{M} (w_t^i \cdot \hat{x}_{ij})}{\sum_{i=1}^{M} w_t^i} (19)
\]

Based on Eq.(18) and Eq.(19), we can achieve deviation-aware weighted aggregation, which effectively weakens the personalized deviation caused by personalized perturbation and enables accurate truth discovery.

VI. THEORETICAL ANALYSIS

In this section, we theoretically analyse the proposed PPPTD mechanism from the perspective of privacy protection.

Theorem 4: PPPTD can provide personalized privacy guarantee for each user.

Proof: Let \( M_1, M_2, \ldots, M_T \) be a set of mechanisms where for each \( t \in \{1, \ldots, T\} \), \( M_t(X_i) = f(X_i) + Lap(\Delta(f)/\epsilon^t_i) \) provides \( \epsilon^t_i \)-differential privacy in isolation. Since \( M_t(X_i) = \{M_t^1(X_i^1), M_t^2(X_i^2), \ldots, M_t^T(X_i^T)\} \), and \( M_t \) executes \( M_t^1, \ldots, M_t^T \) in sequence, according to Theorem 2, \( M_t(X_i) \) provides \( \sum \epsilon^t_i \)-differential privacy.

In PPPTD, for each user \( i \), the total perturbed data he submits to the server satisfies: \( X_i = M_i(X_i) \), where \( M_i \) is a perturbation function that satisfies \( \epsilon_i \)-differential privacy, and \( \epsilon_i = \sum \epsilon^t_i \). Therefore PPPTD can provide personalized privacy guarantee for each user.

Theorem 5: PPPTD satisfies \( \epsilon \)-differential privacy.

Proof: Let \( M_1, M_2, \ldots, M_M \) be a set of mechanisms where \( M_i(X_i) = f(X_i) + Lap(\Delta(f)/\epsilon_i) \) provides \( \epsilon_i \)-differential privacy. Since \( X_1, X_2, \ldots, X_M \) are the disjoint subsets of dataset \( X \) satisfying \( X = \bigcup_{i=1}^{M} X_i \) and \( X_p \cap X_q = \emptyset \) (\( \forall \, p, q \in \{1, 2, \ldots, M\} \) and \( p \neq q \)), \( M(X) = \{M_1(X_1), M_2(X_2), \ldots, M_M(X_M)\} \). According to Theorem 3, we can get that \( M(X) \) satisfies \( \max(\epsilon_1, \epsilon_2, \ldots, \epsilon_M) \)-differential privacy.

Since the privacy budget assigned to users ranges from \( \epsilon_0 \) to \( \epsilon_1 \), we have

\[\max(\epsilon_1, \epsilon_2, \ldots, \epsilon_M) = \max \left( \sum_{i=1}^{T} \epsilon^t_i \right) = \epsilon_1 \ T = \epsilon\]

Thus, \( M \) satisfies \( \epsilon_1 \) \( T \)-differential privacy, namely PPPTD satisfies \( \epsilon \)-differential privacy, where \( \epsilon = \epsilon_1 \ T \).

VII. PERFORMANCE EVALUATION

In this section, we evaluate the performance of PPPTD on real-world datasets to validate its effectiveness.

A. Experiment Settings and Baselines

We conduct experiments on two real-world datasets to compare PPPTD with baseline methods to demonstrate the effectiveness of PPPTD.

1) Datasets: We use two real-world crowdsourcing datasets: \textit{Weather} dataset [44] and \textit{Intel Lab} dataset [45]. \textit{Weather} dataset contains weather data of 30 major USA cities reported by 18 websites every 45 minutes in six days of March 2010. We adopt the temperature property for evaluation. \textit{Intel Lab} Data contains temperature, humidity, light and voltage data of 54 observation points collected by \textit{Intel Berkeley Research Lab} every 31 seconds from February 28th to April 5th in 2004. The voltage property is adopted for evaluation. With these two real-world datasets, we can construct crowdsourced data

![Graphs showing the max value of W_t^i for different datasets.](image)

Fig. 3. The max value of \( W_t^i \).
streams that contain time-series observation data of some tasks from some users. However, in these two datasets, not every user completes all tasks, which would cause null values in the data streams we construct. Thus, we extract subsets from the datasets to avoid null values, where each task is completed by all users. In result, we extract 26 tasks and 100 users from the Intel Lab Data, and compress the 38-day data into 80 timestamps.

2) Utility Metric: We use the Mean Absolute Error (MAE) and Mean Absolute Percentage Error (MAPE) as the utility metric to evaluate the performance of the mechanisms. For any task \( j \in \{1, 2, \ldots, N\} \), let \( Z_j = \{Z^1_j, Z^2_j, \ldots, Z^T_j\} \) denote the sequence of truthful values for task \( j \) inferred by the PPPTD mechanism at each timestamp, and \( Z' j = \{Z'^1_j, Z'^2_j, \ldots, Z'^T_j\} \) denote the truths sequence discovered from the raw data. The MAE and MAPE for task \( j \) can be computed by:

\[
\text{MAE}(Z_j, Z'_j) = \frac{1}{T} \sum_{t=1}^{T} |Z^t_j - Z'^t_j| \tag{20}
\]

\[
\text{MAPE}(Z_j, Z'_j) = \frac{1}{T} \sum_{t=1}^{T} \frac{Z^t_j - Z'^t_j}{Z^t_j} \tag{21}
\]

In the experiments, we first calculate the MAE and MAPE for each task and then count up the average of all tasks as the final result of PPPTD.

3) Personalization Metric: We use the Percentage of Un-Personalized users (PUP) as the personalization metric to evaluate the ability of the mechanisms to provide personalized privacy protection for users. It shows the percentage of users who add the same level of perturbation noise to their data at each timestamp. PUP is realistically the percentage of users whose budgets are updated to the upper bound of the interval with the influence-aware adaptive budget adjustment mechanism. The larger the value of PUP, the less ability of PPPTD to provide personalized privacy protection.

4) Compared Methods: We first test the effect of each mechanism of the proposed PPPTD. For the influence-aware adaptive budget adjustment mechanism (IAA), we conduct experiments of PPPTD with and without it over two real-world datasets to evaluate the effectiveness of it. For the deviation-aware weighted aggregation mechanism (DWA), we conduct similar experiments to evaluate its effectiveness.

As for the baseline method, we implement a perturbation-based truth discovery method that can meet every user’s privacy protection requirement at the same time. For that, all users add the same level of noise to their data with differential privacy before uploading to the server, and the amount of noise must guarantee the highest privacy requirement of users. Then the server conducts weighted aggregation on the perturbed data to infer truths.

5) Environment: All the mechanisms are implemented in Python, and run on the same machine with 8G RAM, Intel Core i5 processor. We run each experiment 100 times, and report the average results.

B. Evaluation on Parameters

In this section, we evaluate the effects of parameters \( \lambda, \pi, \rho, \) and \( \gamma \) on the performance of PPPTD. We test the effect of a parameter over the Weather Dataset and Intel Lab Data Dataset by changing the value of the parameter while fixing the others. Particularly, we set \( \alpha = 0.54, \beta = 0.37 \), which are chosen based on findings reported in [43], and we set \( a = 2, c = 3 \), which can ensure the rationality of Eq. (18).

1) The Effect of \( \lambda \): The value of \( \lambda \) determines the division of privacy intervals, which affects the values of initial budgets allocated to users, as well as the space that user budgets can be updated, thus also the personalization of PPPTD. We evaluate the effect of \( \lambda \) on the utility and personalization of PPPTD, and on the sum of initial budgets and budget update space. For Weather Dataset, we fix \( \pi \) to 0.2, \( \rho \) to 1, and \( \gamma \) to 1, and make \( \lambda \) varies from 0.1 to 1.9.

Figure 4(a)-(d) shows the evaluation results of the effect of \( \lambda \) on PPPTD over the Weather Dataset. As Figure 4(a) shows, MAE first increases and then decreases as \( \lambda \) varies from 0.1 to 1.9. With Figure 4(b) and 4(c), we can explain this state. The value of \( \lambda \) directly affects the value of \( \epsilon_m \), that is the division of budget intervals. In PPPTD we first allocate a personalized initial privacy budget to the user from the corresponding budget interval that meets his privacy requirement, and then adaptively adjust the user budget in the same budget interval. So the division of budget intervals can determine the initial budgets allocated to users and the space that user budgets can be updated. Figure 4(b) shows that as \( \lambda \) increases, the sum of initial budgets of users decreases, which means the total noise added to data increases, leading to worse utility. Figure 4(c) shows that the space that user budgets can be updated grows as \( \lambda \) goes from 0.1 to 1.9. Larger update space means that the user...
After comprehensive consideration, in the subsequent experiments, we decided to set $\lambda = 0.4$ for the Weather Dataset.

2) The Effect of $\pi$: The unit error threshold $\pi$ affects when to update the budgets for which users, and the case of user budgets adjustment is critical to how much noise is added to data totally and how many users can be provided with personalized privacy protection. We evaluate the effect of $\pi$ on the utility and the personalization of PPPTD. For Weather Dataset, we fix $\rho$ to 1000, and $\gamma$ to 1, and make $\pi$ varies from 0.1 to 0.5.

The evaluation results of the effect of $\pi$ over Weather Dataset is shown in Figure 5. Figure 5(a) shows the influence of different values of $\pi$ on MAE. MAE increases as $\pi$ increases, which is due to the decrease in the frequency of user budget updates. Figure 5(b) shows the influence of different values of $\pi$ on PUP, and we can find that the smaller the value of $\pi$, the larger the PUP. The reason is when the value of $\pi$ is very small, the user budgets will update very frequently, thus the budgets of many users are likely to be adjusted to the upper limit of the corresponding interval, leading to poor personalization of PPPTD. In the subsequent experiments, we set $\pi = 0.3$ for the Weather Dataset.

3) The Effect of $\rho$: Similarly, we evaluate the effect of $\rho$ on the noise scale and the personalization of PPPTD. For Weather Dataset, we fix $\gamma$ to 1, and make $\rho$ takes values in $\{0.6, 1, 2, 6\}$.

The evaluation results of the effect of $\rho$ over Weather Dataset is shown in Figure 6, in which MAE increases as $\rho$ increases, and PUP decreases as $\rho$ increases. The reason for this can refer to the above analysis for $\pi$ since $\pi$ and $\rho$ have similar effects to PPPTD. In the subsequent experiments, we set $\rho = 1$ for the Weather Dataset.

4) The Effect of $\gamma$: The adjustment constraint threshold $\gamma$ controls how much to adjust user budgets. We evaluate the effect of $\gamma$ on the utility and the personalization of PPPTD.

The results are shown in Figure 7, where MAE decreases and PUP increases when $\gamma$ varies from 0.1 to 1.7. The reasons are as follows. Smaller $\gamma$ leads to smaller-scale budget adjustments, which results in only a small reduction in the level of perturbation, and means that users need more updates to reach the upper bound of the interval. Therefore, the smaller the value of $\gamma$, the larger the value of MAE, and the smaller the value of PUP. In the subsequent experiments, we set $\gamma = 0.7$ for the Weather Dataset.

We also tested the effect of each parameter on the performance of PPPTD over the Intel Lab Data Dataset. Due to the space constrain, we do not show the performance results here. As a result, we set $\lambda = 0.4$, $\pi = 0.02$, $\rho = 0.1$, and $\gamma = 0.0008$ for the Intel Lab Data Dataset in the subsequent experiments.

C. Performance Evaluation

In this section, we first test the effect of each mechanism of the proposed method PPPTD, and then compare PPPTD with the baseline method.

1) The Effect of Influence-Aware Adaptive Budget Adjustment: we conduct experiments of PPPTD with and without the influence-aware adaptive budget adjustment mechanism (IAA) over two real-world datasets to evaluate the effectiveness of the influence-aware adaptive budget adjustment mechanism. Figure 8 shows the result of utility comparison of PPPTD with and without IAA over two real-world dataset, from which we can find that both MAE and MAPE in PPPTD are smaller than PPPTD without IAA, and the distance between them becomes larger over time. IAA works more and more over time, thus brings more improvement to utility of PPPTD. It proves that the influence-aware
adaptive budget adjustment mechanism is useful in improving the utility of PPPTD and it will be more useful as time goes on. Moreover, we also evaluate the average percentage of users whose budgets are updated per timestamp in PPPTD, and the results are shown in Figure 10. We can find that at almost every timestamp, there are a small part of users whose privacy budgets are updated, and the percentage decreases over time. As time goes by, IAA re-allocates larger privacy budgets for more and more users, and fewer and fewer users whose privacy budgets need to be updated are leaving, which leads to the situation that almost no one needs to update its privacy budget at the final stage. These results also demonstrate the effectiveness of the influence-aware adaptive budget adjustment mechanism.

2) The Effect of Deviation-Aware Weighted Aggregation: We conduct experiments of PPPTD with and without the deviation-aware weighted aggregation mechanism (DWA) over two real-world datasets to evaluate the effectiveness of the deviation-aware weighted aggregation mechanism. Figure 11 shows the result of utility comparison of PPPTD with and
without DWA. We observe that DWA reduces both MAE and MRE for any given $\epsilon$. Thus, we draw a conclusion that the proposed deviation-aware weighted aggregation mechanism does improve the utility of PPPTD.

3) Performance Comparison With the Baseline Method: Figure 12 shows the results of utility comparison between PPPTD and the baseline method on two real-world datasets. In terms of utility, we can observe that PPPTD outperforms the baseline method for both Weather Dataset and Intel Lab Data Dataset. This is because PPPTD takes into full consideration the different privacy requirements of users and allows to add different levels of noise to each user’s data, so that the total noise is reduced and the data utility is improved. Then we can conclude that PPPTD can provide personalized privacy preserving for users and at the same time achieve high accuracy.

VIII. CONCLUSION

In this paper, we proposed a personalized privacy-preserving truth discovery framework over crowdsourced data streams, called PPPTD, to provide personalized privacy protection for users to meet their personal privacy requirements while real-time and accurately inferring the truths. In PPPTD, each user is assigned a personalized budget that meets his own privacy requirement, and personally disturbs his data with differential privacy before submitting data to the server. An influence-aware adaptive budget adjustment mechanism and a deviation-aware weighted aggregation mechanism were further proposed for improving the accuracy of inferred truths.

We theoretically proved that PPPTD can provide personalized privacy guarantee for each user meanwhile satisfying differential privacy. The experimental results on two real-world datasets showed that the proposed mechanisms of PPPTD can indeed lead to better utility with a low impact on the overall efficiency, and PPPTD outperforms the baseline method that treats all users equally and does not meet everyone’s personalized privacy need.

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